Geometry Modules

- Unit 1 Foundations and Tools (Chapter 1, Sections 1.1-4)
- Unit 2 Formulas, Coordinates, and Transformational Tools (Ch 1, Sections 1.5-1.6 and Ch9 sections 9.1 9.4)
- Unit 3 Logic, Proof, & Geometric Reasoning (Chapter 2)
- Unit 4 Parallel & Perpendicular Lines (Chapter 3)
- Unit 5 Triangle congruence (Chapter 4)
- Unit 6 <u>Properties of Triangles</u> (Chapter 5)
- Unit 7 Polygons & quadrilaterals (Chapter 6)
- Unit 8 <u>Similarity</u> (Chapter 7)
- Unit 9 Right triangles & Trigonometry (Chapter 8)
- Unit 10 Perimeter, Circumference & Area (Chapter 10)
- Unit 11 3D figures: volume and surface area (Chapter 11)
- Unit 12 <u>Circle</u> (Chapter 12)

Course Description:

Geometry is the second of third course in a traditional mathematics sequence that builds mathematical reasoning through mathematical proof, and improves algebraic thinking by embedding algebra in geometry problems.

KPBSD MATH CURRICULUM GEOMETRY UNIT 1 – FOUNDATIONS AND TOOLS

Desired Results

	Desired Results	
Priority Standards G.CO.1. Demonstrates understanding of key geometrical definitions, including angle, circle, perpendicular line, parallel line, line segment, and	TransferStudents will be able to independently use their learning toUse the correct terminology for basic geometric figures.Apply basic formulas in and out of the coordinate plane.	
perpendicular line, parallel line, line segment, and transformations in Euclidean Geometry. Understand undefined notions of point, line, distance along a line, and distance around a circular arc. G.CO.12. Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.	Mea ENDURING UNDERSTANDINGS Students will understand that Geometry is omnipresent in the physical world; it can be used to solve problems in real life. Geometry uses standard vocabulary and symbols to communicate facts and relationships about geometric figures.	 ESSENTIAL QUESTIONS Students will keep considering What are ways geometric properties are used in real-life situations? What symbols, formulas, and vocabulary are conventional for communicating within the context of Geometry?
		 isition Students will be skilled at I can apply and draw facts about points, lines, segments, rays, and planes. I can use length and midpoint of a segment to calculate measures and construct midpoints and congruent segments. I can measure/construct angles, angle bisectors, and using angle classifications and postulates to calculate the measure of pairs of angles. I can differentiate between pairs of angles and use this differentiation to calculate angle measures.

UNIT 1 – FOUNDATIONS AND TOOLS

Evidence			
Evaluative Criteria	Assessment Evidence		
Rubrics	PERFORMANCE TASK(S):		
Course Assignments	Unit 1 test (will be attached later)		
Performance Tasks	Construction performance task should include:		
Teacher made assessments	 copy/bisect a segment 		
Observation	 copy/bisect an angle 		
Journals and Self-Reflection	 measure length to the nearest 16th of inch and millimeter 		
Technology-Based Assessments	 measure an angle with a protractor 		
Other			
	OTHER EVIDENCE:		
	Formative assessments, construction labs		
	Learning Plan		
Flexible Content – To be determined			
Ch 1: Sections 1.1 - 1.4			
 compass constructions: pg 14, 22, 23 and bis 	ect a midpoint (supplement)		
 ruler lab - knowing how to measure to the 16 	5th of an inch		
• protractor lab - knowing how to measure an	angle		
 drawing lab - planes, intersecting planes, line 	es, rays, segments relationships		
Mathematical practices: (reference pg 4 of teachers of			
 Section 1.1 			
• reason abstractly and quantitatively #28-34			
	que the reasoning of others #31-34, 38		
 Model with mathematics #22 			
 look for and express regularity in repeated reasoning #45 			
 Section 1.2 			
• construct viable arguments and critique the reasoning of others #24-27			

• use appropriate tools strategically #5, 13, 35

UNIT 1 – FOUNDATIONS AND TOOLS

- Look for and make use of structure #44
- Section 1.3
 - o reason abstractly and quantitatively #19-22, 32
 - o model with mathematics #3, 11
 - o use appropriate tools strategically #4-6, 12-14, 23-26, 40
- Section 1.4
 - o construct viable arguments and critique the reasoning of others #34-37
 - o model with mathematics #12
 - o look for and make use of structure #32

Additional resources/assignments/activities:

• EngageNY: https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf

	Vocabulary	
Acute angle	Endpoint	Pi
Adjacent angles	Exterior of an angle	Plane
Angle	Height	Point
Angle bisector	Hypotenuse	Postulate
Between	Interior of an angle	Ray
Bisect	Leg	Right angle
Collinear	Length	Segment
Complementary angles	Line	Segment bisector
Congruent angles	Linear pair	Straight angle
Congruent segments	Midpoint	Supplementary angles
Construction	Measure	Undefined term
Coplanar	Obtuse angle	Vertex
Degree	Opposite rays	Vertical angles
Diameter	Perimeter	

UNIT 2 - FORMULAS, COORDINATES, AND TRANSFORMATIONAL TOOLS

Desired Results

Priority Standards

G.CO.5. Given a geometric figure and a rotation, reflections, or translation, draw the transformed figure using, e.d., graph paper, tracing paper, or geometry software. Specify a sequence of transformations that will carry a given figure onto another.

Supporting Standards

G.GPE.7. Use coordinates to compute perimeter and areas of polygons using the distance formu G.CO.2. Represent transformations in the plane using, e.g., transparencies and geometry softwa describe transformations as functions that take points in the plane as inputs and give other point as outputs. Compare transformations that preserve distance and angle to those that do no (e.g.; translation versus horizontal stretch). G.CO.3. Given a rectangle, parallelogram, trapezoid, or regular polygon, describe the rotations and reflections that carry it onto itself. G.CO.4. Develop definitions of rotations, reflections, and translations in terms of angles, circles, perpendicular lines, parallel lines, and th line segments.

Transferb,Students will be able to independently use their learning to...dFind distances between points in the real world (between cities).rDetermine materials needed to make triangular or rectangular objects.Design patterns to create products (e.g. clothing, furniture, art).

	Meaning		
	ENDURING UNDERSTANDINGS	ESSENTIAL QUESTIONS	
ers ula. e vare; e ints ot	 Students will understand that Formulas help us measure the perimeter, area, and circumference of basic geometric shapes. Mathematical situations can be analyzed by applying transformations and using symmetry. Geometry allows measurement of things that can't be measured easily using traditional methods. 	 Students will keep considering How is the perimeter, area, and circumference of basic geometric shape calculated? How to determine the midpoint and length of segment? How to determine the image of figure after a transformation? 	
	Acqui	sition	
lf. , che	 Students will know The formulas for area, midpoint, distance, and the Pythagorean theorem. The types of congruent transformations (rotation, reflection, rotation). Midpoint and distance in a coordinate plane. Transformations in the coordinate plane. 	 Students will be skilled at I can apply formulas for perimeter, area, circumference, midpoint, distance, and the Pythagorean Theorem. I can use the distance formula and Pythagorean Theorem to find the distance between two points. I can identify and write transformations in transformation notation. I can predict the coordinates of the image, given the preimage and transformation notation. 	

UNIT 2 – FORMULAS, COORDINATES, AND TRANSFORMATIONAL TOOLS

	Evidence		
Evaluative Criteria	Assessment Evidence		
Rubrics	PERFORMANCE TASK(S):		
Course Assignments	Unit 2 assessment (to be attached later)		
Performance Tasks			
Teacher made assessments	OTHER EVIDENCE:		
Observation	Formative assessments, labs, quizzes		
Journals and Self-Reflection			
Technology-Based Assessments			
Other			
	Learning Plan		
Students should, but may not have understanding of			
 Perimeter and area of triangles and rectangl 			
Pythagorean Theorem			
Midpoint Formula			
Consider reviewing 1.5			
Chapter 1: section 1.6 - Focus on problems in the coo	rdinate plane $ ightarrow$ supplement with other problems		
Chapter 9: sections 9.1 - 9.4			
Mathematical practices:	•		
Section 1.5			
 reason abstractly and quantitatively #55 			
 Construct viable arguments and critique the reasoning of others #54 			
 model with mathematics #6, 13, 26, 3 	 model with mathematics #6, 13, 26, 30 		
 Look for and make use of structure #27, 31 			
Section 1.6			
 model with mathematics #11, 21, 26, 27, 33, 37 			
 look for and make use of structure #25 			
Section 9.1			
 construct viable arguments and critic 			
 model with mathematics #8, 19, 27, 3 	37		
 use appropriate tools strategically #4 			
 look for and make use of structure #53-57 			

UNIT 2 - FORMULAS, COORDINATES, AND TRANSFORMATIONAL TOOLS

• Section 9.2

- o model with mathematics #44
- use appropriate tools strategically # 36-38
- look for and make use of structure #45-49

• Section 9.3

- o construct viable arguments and critique the reasoning of others #37, 46
- o model with mathematics #11, 22, 31, 45
- use appropriate tools strategically #36, 41
- look for and make use of structure #47-51

• Section 9.4

- o reason abstractly and quantitatively #16-20
- o construct viable arguments and critique the reasoning of others #14

Additional resources/assignments/activities:

• EngageNY: <u>https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf</u>

Vocabulary		
Area	Preimage	Coordinate plane
Perimeter	Radius	Distance
Circumference	Reflection	Midpoint
Coordinate	Rotation	Translation

KPBSD MATH CURRICULUM GEOMETRY UNIT 3 – LOGIC, PROOF, AND GEOMETRIC REASONING

Desired Results

	Desired Results	
Priority Standards	Tra	nsfer
G.CO.9. Using methods of proof including direct, indirect, and counter examples to prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a transversal crosses	Students will be able to independently use their learning to Use inductive and deductive reasoning to make valid arguments. Plan and write geometric proofs.	
parallel lines, alternate interior angles are congruent and corresponding angles are congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the segment's endpoints. Supporting Standards A.REI.1. Apply properties of mathematics to justify steps in solving equations in one variable.	 ENDURING UNDERSTANDINGS Students will understand that A proof is a formal argument supported by postulates, theorems, and definitions. Logical reasoning helps us come to a conclusion. A proof is a formal argument supported by postulates, theorems, and definitions. 	 aning ESSENTIAL QUESTIONS Students will keep considering How and why is deductive reasoning used in geometric proof? How can traditional constructions deepen understanding and illustrate geometric relationships?
	Acquisition	
	 Students will know The difference between inductive and deductive reasoning. The Law of Detachment and The Law of Syllogism in logical reasoning. The properties of equality and congruence. 	 Students will be skilled at I can analyze & write conditional & biconditional statements. I can use symbolic notation for conditional statements. I can form conclusions by using laws of logic. I can prove geometric theorems by using deductive reasoning. I can write the inverse, converse, and contrapositive of a conditional statement. I can apply the Law of detachment and the law of syllogism in logical reasoning. I can write and analyze biconditional statements. I can recognize algebraic properties of equality/properties of congruence.

KPBSD MATH CURRICULUM GEOMETRY UNIT 3 – LOGIC, PROOF, AND GEOMETRIC REASONING

		 I can write reasons for steps in a proof. I can write two-column proofs. I can use deductive reasoning to prove statements about segments and angles. I can perform constructions: copy a segment, copy an angle.
	Evidence	
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	KPBSD common unit exam	
Performance Tasks		
Teacher made assessments	OTHER EVIDENCE:	
Observation Journals and Self-Reflection	Formative assessments, construction labs, quizzes	
Technology-Based Assessments		
Other		
	Learning Plan	
Chapter 2: Sections 2.1 - 2.7		
Mathematical practices:		
• Section 2.1		
 reason abstractly and quantitatively #5-7, 14-16, 23, 28, 30, 33, 35 		
-	ue the reasoning of others: #8-10, 17-19, 24-27	
 Use appropriate tools strategically #4 		
 look for the make use of structure: #4 		
	eated reasoning: #2-4, 11-13, 20-22, 31	
• Section 2.2		
 reason abstractly and quantitatively #4, 5, 9, 10, 18, 20, 30-32, 39 41, 51, 52, 57 construct viable arguments and critique the reasoning of others: #9-11, 19-21, 38-41, 56 		
 construct viable arguments and critic Look for and make use of structure: # 		
 Section 2.3 	<i>, , , , , , , , , , , , , , , , , , , </i>	
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UNIT 3 – LOGIC, PROOF, AND GEOMETRIC REASONING

- o look for and make use of structure #4-8, 11-13, 15-18
- Section 2.4
 - o reasons abstractly and quantitatively #6, 7, 16, 17, 20-23, 33, 34, 37, 38, 41, 43, 45
 - o construct viable arguments and critique the reasoning of others #6, 7, 16, 17, 20-23, 41
 - o look for and make use of structure #2-5, 8-15, 18, 19, 24-35, 37, 42-44
- Section 2.5
 - o reason abstractly and quantitatively #29, 36, 39, 44
 - o construct viable arguments and critique the reasoning of others #2-9, 16-21, 36, 37
 - o look for and make sure of structure #2-9, 12-21, 23-28, 30-32, 37, 41
- Section 2.6
 - o reason abstractly and quantitatively #4-10, 14, 16-19, 28
 - o attend to precision #23
 - o look for and make use of structure: #3-10, 14, 24, 28
- Section 2.7
 - o reason abstractly and quantitatively #11-13, 19, 21, 23, 24-26
 - o construct viable arguments and critique the reasoning of others #17-19, 24-26
 - look for and make use of structure #3-10, 18

Additional resources/assignments/activities:

- 20 beginning proof worksheet: <u>https://drive.google.com/file/d/1f7bQJSNqHKe_MNNcj_M-T1G7K1KG9FO3/view?usp=sharing</u>
- helpful hints for writing proofs: https://drive.google.com/file/d/1AGCa5zgXbKO3n8HJ-FtOGI0YV2Zz3JDM/view?usp=sharing
- assumptions & justifications: https://drive.google.com/file/d/1jWadkISU73UpdNj3wj6nF4hqVJu5chXq/view?usp=sharing
- EngageNY: https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf

	Vocabulary		
Biconditional statement	Definition	Polygon	
Conclusion	Hypothesis	Proof	
Conditional statement	Inductive reasoning	Quadrilateral	
Conjecture	Inverse	Theorem	
Contrapositive	Logically equivalent statements	Triangle	
Converse	Negation	Truth value	
Counter example	Deductive reasoning	Two-column proof	

UNIT 4 – PARALLEL AND PERPENDICULAR LINES

Desired Results

Priority Standards

G.CO.1. Demonstrates understanding of key geometrical definitions, including angle, circle, perpendicular line, parallel line, line segment, and transformations in Euclidean Geometry. Understand undefined notions of point, line, distance along a line, and distance around a circular arc.

G.CO.9. Using methods of proof including direct, indirect, and counter examples to prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a transversal crosses parallel lines, alternate interior angles are congruent, and corresponding angles are congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the segment's endpoints.

G.CO.12. Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.

Supporting Standards

G.GPE.5. Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems (e.g., find the equation of a line parallel or perpendicular to a given line that passes through a giver point).

Transfer Students will be able to independently use their learning to... Use and prove properties of parallel lines and the angles formed by parallel lines and transversals.

Represent lines in a coordinate plane.

	Meaning		
ct,	ENDURING UNDERSTANDINGS	ESSENTIAL QUESTIONS	
nd	Students will understand that	Students will keep considering	
;	Lines and angles.	What algebraic and geometric conditions	
ior	 Angles formed by parallel lines and 	are sufficient and necessary to prove lines	
	transversal.	parallel or perpendicular?	
ťs	 Properties/relationships of parallel and 	 What are the angle relationships when 	
LS	perpendicular lines.	parallel lines are cut by a transversal?	
	Slopes of lines.	 What are the conventional forms of proof? 	
e,	Lines in a coordinate plane.		
-,	Acqu	isition	
n	Students will know	Students will be skilled at	
	 Parallel, perpendicular, and skew lines. 	 I can prove and use theorems about angles 	
	 The types of angles formed by two lines 	formed by parallel lines and a transversal.	
ng	and a transversal.	 I can use the angles forme. 	
	 Slopes of parallel and perpendicular lines. 	 I can use slopes of lines to determine if two 	
		lines are parallel or perpendicular.	
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UNIT 4 – PARALLEL AND PERPENDICULAR LINES

Evidence		
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 4 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and have students complete two.)	
Teacher made assessments		
Observation	OTHER EVIDENCE:	
Journals and Self-Reflection	Formative assessments, construction labs, quizzes	
Technology-Based Assessments		
Other		
	Learning Plan	
Chapter 3: Sections: 3.1 - 3.6		
Mathematical practices:		
Section 3.1		
 reason abstractly and quantitatively #42, 54 		
 construct viable arguments and critique the reasoning of others #34 		
 model with mathematics #26, 30-33, 41, 43 		
• Section 3.2		
 reason abstractly and quantitatively #27, 28, 32, 33, 35 		
 construct viable arguments and critique the reasoning of others #13-19, 25, 26, 31, 32, 39 		
Section 3.3		
 reason abstractly and quantitatively #1-42, 44 		
 construct viable arguments and critique the reasoning of others #1-39, 41-46 		
• Section 3.4		
 reason abstractly and quantitatively #3, 7, 10-21, 34, 36, 27, 31-16 		
	 construct viable arguments and critique the reasoning of others #4, 5, 8, 22, 23, 28, 37, 38 	
 use appropriate tools strategically #2 	9, 30	
 attend to precision #25 		
 look for and make use of structure #4 	4, 8	
Section 3.5		
 reason abstractly and quantitatively #26, 29, 30, 32, 33 		

UNIT 4 – PARALLEL AND PERPENDICULAR LINES

- o model with mathematics #6, 14, 18, 24, 28
- o look for and make use of structure #2-5, 7-9, 10-13, 15-18, 23

• Section 3.6

- o reason abstractly and quantitatively #8-11, 19-22, 33-44, 51, 52, 65, 66
- o construct viable arguments and critique the reasoning of others #32, 54, 56
- o model with mathematics #12, 23, 45, 53, 55
- o attend to precision #46
- o look for and make use of structure #2-4, 8-11, 13-15, 19-22, 24-31, 33-44, 47-52, 62-64, 66

Additional resources/assignments/activities:

• EngageNY: <u>https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf</u>

	Vocabulary	
Alternate exterior angles	Parallel planes	Same-side interior angles
Alternate interior angles	Perpendicular bisector	Skew lines
Corresponding angles	Perpendicular lines	Slope
Distance from a point to a line	Point-slope form	Slope-intercept form
Parallel lines	Rise	Transversa
Run		

KPBSD MATH CURRICULUM GEOMETRY UNIT 5 – TRIANGLE CONGRUENCE

Desired Results

	Desired Results	
Priority Standards	Tra	nsfer
 G.CO.9. Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid motion on a given figure; given two figures, use the definition of congruence in terms of rigid motions to decide if they are congruent. G.CO.7. Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if and only if corresponding pairs of sides and corresponding pairs of angles are congruent. G.CO.8. Explain how the criteria for triangle congruence (ASA, SAS, SSS, AAS, and HL) follow from the definition of congruence in terms of rigid motions. G.CO.10. Using methods of proof including direct, indirect, and counter examples to prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to 180°; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point. G.SRT.5. Apply congruence and similarity properties and prove relationships involving triangles and other 	 Students will be able to independently use their I Proof and use the triangle sum theorem. Understand congruence and prove and apply commendation Me ENDURING UNDERSTANDINGS Students will understand that In congruent triangles, each pair of corresponding parts is congruent. Triangles can be proven congruent using SSS, SAS, ASA, AAS and HL postulates, and theorem. Base angles of an isosceles triangle are congruent, and conversely, if two angles of a triangle are congruent, then the triangle is isosceles. A triangle is equiangular if and only if it is equilateral. In an isosceles triangle, the median to the base, the altitude to the base and the bisector of the vertex angle are the same segment. 	
geometric figures.		uisition
 G.GPE.4. Perform simple coordinate proofs. For example, prove or disprove that a figure defined by four given points in the coordinate plane is a rectangle; prove or disprove that the point (1, v3) lies on the circle centered at the origin and containing the point (0, 2). G.GPE.5. Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems (e.g., find the equation of a line parallel or 	 Students will know Triangles are classified by sides and angles. There are relationships between triangles and other geometric figures. The properties of isosceles and equilateral triangles. 	 Students will be skilled at I can solve problems based on interior and exterior angle relationships. I can identify congruent figures and corresponding parts. I can understand and apply postulates and theorems proving triangles congruent.

KPBSD MATH CURRICULUM GEOMETRY UNIT 5 – TRIANGLE CONGRUENCE

perpendicular to a given line that passes through a given point)		 I can prove triangles congruent with given information. I can copy a triangle by construction. I can use congruent triangles to prove segment or angle relationships. I can use congruent triangles to solve problems.
	Evidence	
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 5 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and ha	ve students complete two.)
Teacher made assessments		
Observation Journals and Self-Reflection	OTHER EVIDENCE:	
	Formative assessments, construction labs, quizzes	
Technology-Based Assessments Other		
	Learning Plan	
Chapter 4: Sections 4.1-4.9		
Mathematical practices:		
Section 4.1		
-	ue the reasoning of others #9. 10. 22-24 33	
 model with mathematics #11, 25, 28 	32, 38	
 attend to precision #34, 35 		
o look for and make use of structure #3-6, 13-18, 26, 27, 29, 30, 37		
• Section 4.2		
 reason abstractly and quantitatively #9, 10, 18, 19, 21, 22, 32, 34-37, 44, 47, 48 construct viable arguments and criticus the reasoning of others #46 		
 construct viable arguments and critique the reasoning of others #46 model with mathematics #11, 33 		
 Model with mathematics #11, 33 use appropriate tools strategically #20-39 		
 Use appropriate tools strategically #20-59 look for and make use of structure #38 		
 Section 4.3 		
		2

UNIT 5 – TRIANGLE CONGRUENCE

- o construct viable arguments and critique the reasoning of others #324, 25, 27, 28, 38, 47
- o model with mathematics #4, 5, 15, 36
- o use appropriate tools strategically #37, 39
- o attend to precision #37, 39
- o look for and make use of structure #6-14, 16-22, 29-32, 35
- Section 4.4
 - o reason abstractly and quantitatively #9 10, 17, 18, 23-25, 32-36
 - o construct viable arguments and critique the reasoning of others #11, 12, 19, 20, 26, 27, 29, 30
 - o look for and make use of structure #3-8, 13-18, 21, 22, 31, 37
- Section 4.5
 - o reason abstractly and quantitatively #2, 3, 8, 9, 18, 23, 29-31
 - o construct viable arguments and critique the reasoning of others #5-7, 11-17, 19-21, 32-34
 - o model with mathematics #4, 10, 22, 25
 - o use appropriate tools strategically #27
- Section 4.6
 - o reason abstractly and quantitatively #4, 5, 7, 8, 11, 12, 14, 15, 18, 26, 29
 - o construct viable arguments and critique the reasoning of others #6, 13, 20-24, 30, 32-34
 - o model with mathematics #2, 3, 9, 10, 19, 31
 - use appropriate tools strategically #25
- Section 4.7
 - o reason abstractly and quantitatively #17, 18, 22, 24, 26, 27, 32
 - o construct viable arguments and critique the reasoning of others #3, 4, 8-11, 14, 15, 19-21, 29-31
- Section 4.8
 - o reason abstractly and quantitatively #16, 17, 20, 21, 28, 29, 33
 - o construct viable arguments and critique the reasoning of others #4, 7, 10 13, 22-24, 34
 - o model with mathematics #15
 - o look for and make use of structure #2, 3, 5, 6, 8, 9, 11, 12, 14, 27, 31, 32
- Section 4.9
 - o reason abstractly and quantitatively #3-10, 13-20, 22-25, 26, 28, 29, 32, 34-43, 44
 - o construct viable arguments and critique the reasoning of others #11, 21, 30, 35-37, 39, 41, 45
 - o model with mathematics #2, 12, 38
 - use appropriate tools strategically #31

Additional resources/worksheets/labs:

UNIT 5 – TRIANGLE CONGRUENCE

- review of right triangle congruency worksheet https://drive.google.com/file/d/16RcR4KvdN4UA4YIaQb4iKFa0_EcGZSYC/view?usp=sharing
- EngageNY: https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf

Vocabulary		
Acute triangle	Dilation	Isometry
Equiangular triangle	Equiangular triangle	Legs of an isosceles triangle
Right triangle	Equilateral triangle	Obtuse triangle
Auxiliary line	Exterior	Remote interior angle
Base	Exterior angle	Right triangle
Base angle	Included angle	Rigid transformation
Congruent polygons	Interior	Scalene triangle
Coordinate proof	Interior angle	Triangle rigidity
Corollary	Isosceles triangle	Vertex angle
Corresponding angles	Corresponding sides	CPCTC

Priority Standards

G.CO.10. Using methods of proof including direct, indirect, and counter examples to prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to 180, base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.

Supporting Standards

G.CO.9. Using methods of proof including direct, indirect, and counter examples to prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the segment's endpoints.
G.SRT.6. Understand that by similarity, side ratios in right triangles are properties of the angles in the triangle, leading to definitions of trigonometric ratios for acute angles.
G.SRT.8. Use trigonometric ratios and the Pythagorean

Theorem to solve right triangles in applied problems. **G.C.3.** Construct the inscribed and circumscribed circles of a triangle, and prove properties of angles for a quadrilateral inscribed in a circle.

JNIT 6 – PROPERTIES OF TRIANGLES			
Desired Results			
Тга	nsfer		
Students will be able to independently use their I Apply the properties of special triangle segments Justify and apply inequality relationships in triang	to solve real-world problems.		
Me	aning		
 ENDURING UNDERSTANDINGS Students will understand that Segments can be created in triangles using perpendicular and angle bisectors, medians and altitudes, special points in triangles, and a triangle mid-segment to solve equations and inequalities about the triangle. 	 ESSENTIAL QUESTIONS Students will keep considering What segments have special purposes in understanding triangles and solving problems? What are some traditional constructions involving special segments in triangles? What is indirect proof and how is it different from direct proof? 		
	isition		
 Students will know Triangles are classified by sides and angles. There are relationships between triangles and other geometric figures. The properties of isosceles and equilateral triangles. 	 Students will be skilled at I can use properties of perpendicular bisectors & angle bisectors to solve problems. I can construct circle circumscribing a triangle. I can construct centroid of a triangle. I can solve problems using properties of a centroid. I can solve problems using properties of medians & altitudes of a triangle. I can solve problems using properties using the mid-segments of a triangle. I can write and solve inequalities using properties of one triangle. 		

• I can write and solve inequalities comparing

UNIT 6 – PROPERTIES OF TRIANGLES

		sides/angles of two triangles.
	Evidence	
Evaluative Criteria	Evaluative Criteria Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	KPBSD common unit exam	
Performance Tasks	 compass constructions of: centroid, cit 	ircumcenter, incenter, orthocenter, midsegment
Teacher made assessments		
Observation	OTHER EVIDENCE:	
Journals and Self-Reflection	Formative assessments, construction labs, qui	izzes
Technology-Based Assessments		
Other		
	Looming Plan	
	Learning Plan	
Chapter 5: Sections 5.1 - 5.8		
Mathematical practices:		
• Section 5.1		
 reason abstractly and quantitatively #2-7, 12-17, 23-29, 34-36 		
 construct viable arguments and critique the reasoning of others #30, 31, 38, 40, 41 		
o model with mathematics #8, 18, 33, 37		
 attend to precision #32 		
Section 5.2		
	ively #3-6, 9, 10, 12-15, 18, 19, 21, 28-32	
 model with mathematics #11, 2 	0, 37	
 attend to precision #38 		
 use appropriate tools strategically #39 		
• Section 5.3		
<i>,</i> ,		
	critique the reasoning of others #35, 36, 43	
o model with mathematics #11, 2	0, 37	
•		
 use appropriate tools strategically #39 		

UNIT 6 – PROPERTIES OF TRIANGLES

• Section 5.4

- o reason abstractly and quantitatively #3-8, 11-16, 18-26, 30-36, 40, 41, 44, 45
- o construct viable arguments and critique the reasoning of others #2, 10, 27, 38
- o model with mathematics #9, 17, 37
- o attend to precision #29
- o look for and make use of structure #42, 43
- Section 5.5
 - o reason abstractly and quantitatively #12-14, 26-31, 33, 42-53, 60-65, 69, 71
 - o construct viable arguments and critique the reasoning of others #2, 3, 16, 17, 66-68, 74, 75
 - o model with mathematics #15, 32, 59
 - o look for and make use of structure #4-11, 18-25, 34, 35, 54-57, 72
- Section 5.6
 - o reason abstractly and quantitatively #1-6, 9-14, 17-27, 31, 34
 - o construct viable arguments and critique the reasoning of others #8, 16, 35
 - o model with mathematics #7, 15, 30,33
 - o attend to precision #29
- Section 5.7
 - o reason abstractly and quantitatively #53, 55
 - o construct viable arguments and critique the reasoning of others #29, 45, 46
 - o model with mathematics #5, 18, 36, 47
 - o attend to precision #44
 - o look for and make use of structure #9-14, 22-27, 52-54
 - o look for and express regularity in repeated reasoning #51

Additional resources/assignments/activities:

• EngageNY: <u>https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf</u>

Vocabulary		
Altitude of a triangle	Equidistant	Mediant of a triangle
Centroid of a triangle	Incenter of a triangle	Midsegment of a triangle
Circumcenter of a triangle	Indirect proof	Orthocenter of a triangle
Circumscribed	Inscribed	Point of concurrency
Concurrent	Locus	Pythagorean triple

KPBSD MATH CURRICULUM GEOMETRY UNIT 7 – POLYGONS AND QUADRILATERALS

Desired Results

Desired Results		
Priority Standards	Tra	Insfer
G.CO.11. Using methods of proof including direct, indirect, and counter examples to prove theorems about parallelograms. Theorems include: opposite sides	Students will be able to independently use their Apply the properties of regular polygons to solve Justify and apply the properties of special paralle	real-world problems.
are congruent, opposite angles are congruent, the		•
diagonals of a parallelogram bisect each other, and		aning
conversely, rectangles are parallelograms with congruent diagonals. G.SRT.5. Apply congruence and similarity properties and prove relationships involving triangles and other geometric figures. Supporting Standards G.CO.13. Construct an equilateral triangle, a square, and a regular hexagon inscribed in a circle.	 ENDURING UNDERSTANDINGS Students will understand that Polygons have properties depending on their sides and angle relationships. Parallelograms and other special quadrilaterals help define our physical world. Diagonals are an important part to prove that shapes are special parallelograms. 	 ESSENTIAL QUESTIONS Students will keep considering By what characteristics can I classify quadrilaterals? What are necessary and sufficient conditions for proving a quadrilateral is a parallelogram? How can algebra be used to classify quadrilaterals?
	Acquisition	
	 Students will know The properties of polygons. Polygons can be classified based on their sides and angles. Properties of parallelograms, rectangles, rhombi, squares, trapezoids, and kites. 	 Students will be skilled at I can find and use the measures of interior and exterior angles of polygons. I can use properties of parallelograms to solve problems. I can prove that a given quadrilateral is a parallelogram. I can prove and apply properties of parallelograms, rectangles, rhombi, squares, trapezoids, and kites. I can use properties of rectangles, rhombuses, and squares to solve problems. I can use coordinate geometry in conjunction with quadrilaterals to solve problems

UNIT 7 – POLYGONS AND QUADRILATERALS

Evidence		
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 7 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and have students complete two.)	
Teacher made assessments		
Observation	OTHER EVIDENCE:	
Journals and Self-Reflection	Formative assessments, construction labs, quizzes	
Technology-Based Assessments		
Other		
	Learning Plan	
Chapter 6: sections 6.1-6.6		
Mathematical properties:		
Section 6.1		
	ively #9-13 22-26 32-34 39-42 56 57 58	
 reason abstractly and quantitatively #9-13, 22-26, 32-34, 39-42, 56, 57, 58 construct viable arguments and critique the reasoning of others #43, 59 		
 construct viable arguments and chique the reasoning of others #45, 55 use appropriate tools strategically #44 		
 Section 6.2 		
 reason abstractly and quantitat 	ivelv #32-43. 46. 47. 49. 53	
 construct viable arguments and critique the reasoning of others #14, 26, 44, 45, 56, 57 		
 attend to precision #50 		
• Section 6.3		
 reason abstractly and quantitat 	ively #20-24, 35	
 construct viable arguments and critique the reasoning of others #1-15, 17-19, 26-31, 37, 40 		
 model with mathematics #16, 38 		
 use appropriate tools strategically #33 		
• Section 6.4		
 reason abstractly and quantitat 	ively #6, 7, 14, 15, 24-31, 43, 45, 47, 48	
-	critique the reasoning of others #8, 9, 16, 17, 34, 35, 37-39, 49, 50	
 model with mathematics #36 		
 attend to precision #32, 51 	 attend to precision #32, 51 	

• Section 6.5

UNIT 7 – POLYGONS AND QUADRILATERALS

- o reason abstractly and quantitatively #2, 3, 7, 8, 18, 19, 39, 41
- o construct viable arguments and critique the reasoning of others #17, 28, 30-32, 34, 42
- o model with mathematics #1, 6, 44
- o attend to precision #43
- o look for and make use of structure #20-26, 33
- o use appropriate tools strategically #36-38
- Section 6.6
 - o reason abstractly and quantitatively #23-25, 48
 - o construct viable arguments and critique the reasoning of others #38, 39, 46, 50
 - o model with mathematics #3, 13, 26, 37
 - o attend to precision #245
 - o look for and make use of structure #9, 10, 19, 20, 34-36

Additional resources/assignments/activities:

• EngageNY: <u>https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf</u>

Vocabulary		
Base of a trapezoid	Isosceles trapezoid	Regular polygon
Base of a trapezoid	Kite	Rhombus
Base angle of a trapezoid	Leg of a trapezoid	Side of a polygon
Concave	Midsegment of a trapezoid	Square
Convex	Parallelogram	Trapezoid
Diagonal	Rectangle	Vertex of a polygon

KPBSD MATH CURRICULUM GEOMETRY UNIT 8 – SIMILARITY

Desired Results

Transfer

Students will be able to independently use their learning to...

Express geometric figures by known relationships of measures, often expressed as theorems and/or algebraic formulas.

ette ette son en en ette e			
nilarity properties riangles and other	Meaning		
	ENDURING UNDERSTANDINGS	ESSENTIAL QUESTIONS	
dards ilarity A criterion for two angles. Theorems of a triangle divides conversely. ilar.	 Students will understand that Similar polygons have: Corresponding angles that are congruent. Corresponding sides that are in proportion. Certain lengths in triangles are in proportion. 	 Students will keep considering How are ratio and proportion related to geometric figures? What information is needed to prove triangles similar? How is knowledge of similar figures applicable to real-world problems? 	
s in the plane using, software; describe take points in the nts as outputs. serve distance and	Acquestion Students will know • Properties of similar polygons. • Dilation is the resizing of an object. • With dilation, the angles remain the	 aisition Students will be skilled at I can compute the ratio of two numbers. I can use proportions to solve problems. I can use properties of proportions. 	
anslation versus ed line segment titions the segment	 same, but the distance between points increases or decreases by a common scale factor. A similarity transformation is a dilation or a composition of rigid motions and dilations. 	 I can identify and define similar polygons and find their scale factor. I can use similar polygons to solve problems. I can identify similar triangles. I can draw and describe similarity transformation in a coordinate plane. I can use the AA, SSS, and SAS similarity theorems to prove two triangles are similar. I can use similar triangles to solve real-life problems. 	

Priority Standards

G-SRT.2. Given two figures, use the definition of similarity in terms of transformations to explain whether or not they are similar.

G-SRT.5. Apply congruence and similarity properties and prove relationships involving triangles and other geometric figures.

Supporting Standards

G-SRT.3. Use the properties of similarity transformations to establish the AA criterion for two triangles to be similar.

G-SRT.4. Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the other two proportionally, and conversely.

G-C.1. Prove that all circles are similar

G-CO.2. Represent transformations in the plane using, e.g., transparencies and geometry software; describe transformations as functions that take points in the plane as inputs and give other points as outputs. Compare transformations that preserve distance and angle to those that do not (e.g., translation versus horizontal stretch).

G-GPE.6. Find the point on a directed line segment between two given points that partitions the segment in a given ratio.

KPBSD MATH CURRICULUM GEOMETRY UNIT 8 – SIMILARITY

	 I can use proportionality theorems to solve problems. I can identify a dilation and write the scale factor of a dilation. I can use dilations to solve problems. 	
	Evidence	
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 8 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and have students complete two.)	
Teacher made assessments		
Observation	OTHER EVIDENCE:	
Journals and Self-Reflection	Formative assessments, construction labs, quizzes	
Technology-Based Assessments		
Other		
	Learning Plan	
Chapter 7: Sections 7.1 - 7.6		
Mathematical practices:		
• Section 7.1		
 reason abstractly and quantitatively 	±13-17, 19, 20, 27	
 construct viable arguments and critic 	ue the reasoning of others #29, 31, 32	
 attend to precision #24 		
• Section 7.2		
 reason abstractly and quantitatively #25 		
 construct viable arguments and critique the reasoning of others #11, 12, 21, 22 		
 model with mathematics #13, 23 		
 look for and make use of structure #24, 27, 28 		
• Section 7.3		
 reason abstractly and quantitatively 		
 construct viable arguments and critique the reasoning of others #7, 8, 17, 18, 26, 28, 30, 32, 33, 38, 39 		
 model with mathematics #10, 19, 31 		

UNIT 8 – SIMILARITY

- o attend to precision #10, 19
- Section 7.4
 - o reason abstractly and quantitatively #21, 32, 33, 35
 - o construct viable arguments and critique the reasoning of others #23, 24, 31, 37, 38
 - o model with mathematics #5, 12, 22, 28, 34
 - o attend to precision #5, 12, 28
 - o use appropriate tools strategically #29, 39
- Section 7.5
 - o reason abstractly and quantitatively #3-9. 13-17, 27, 30, 33, 35, 38, 41-43, 46
 - o construct viable arguments and critique the reasoning of others #38, 44, 45
 - o model with mathematics # 2, 12, 27, 30-33, 43
 - o look for and make use of structure #46
- Section 7.6
 - o reason abstractly and quantitatively #17, 19, 22, 24, 25
 - o construct viable arguments and critique the reasoning of others #5, 6, 13, 14, 18, 26
 - model with mathematics #20
 - look for and make use of structure #28

Additional resources/assignments/activities:

EngageNY: https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf

Vocabulary		
Dilation	Scale drawing	Similar polygons
Directed line segment	Scale factor	Similarity ratios
Indirect measurement Scale	Similar	Similarity transformation

UNIT 9 – RIGHT TRIANGLES AND TRIGONOMETRY

	Desired Results	
Priority Standards	Tr	ransfer
G.SRT.8. Use trigonometric ratios and the Pythagorean Theorem to solve right triangles in applied problems.	Students will be able to independently use their learning to Solve problems using the similarity relationships of right triangles. Apply trigonometric ratios to real-world situations.	
Supporting Standards	Μ	eaning
 G.SRT.6. Understand that by similarity, side ratios in right triangles are properties of the angles in the triangle, leading to definitions of trigonometric ratios for acute angles. G.SRT.7. Explain and use the relationship between the sine and cosine of complementary angles. 	 ENDURING UNDERSTANDINGS Students will understand that Trigonometric ratios exist across similar triangles. The unknown sides or angles of a triangle can be solved, given certain triangle information (SSS, ASA, etc.). 	 ESSENTIAL QUESTIONS Students will keep considering What theorems and other rules apply specifically to right triangles? What information is needed in order to apply these rules and theorems? How is trigonometry used to solve realworld problems?
	Acquisition	
	 Students will know The basic trigonometric ratios. The inverse of basic trigonometric ratio. How similar triangles are formed from an altitude within a right triangle. The relationship between sine and cosine. 	 Students will be skilled at I can use geometric mean to find segment lengths in right triangles. I can apply similarity relationships in right triangles to solve problems. I can find the sine, cosine, and tangent of an acute angle. I can use trigonometric ratios to find side lengths in right triangles and to solve real-world problems. I can use the relationship between the sine and consine. I can find the cosine of complementary angles. I can apply properties of inverses to trigonometric functions.

KPBSD MATH CURRICULUM GEOMETRY UNIT 9 – RIGHT TRIANGLES AND TRIGONOMETRY

	 I can use trigonometric ratios to find angle measures in right triangles and to solve real- world problems. I can solve problems involving angles of elevation and angles of depression. 	
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 9 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and have students complete two.)	
Teacher made assessments	clinometer activity - measure trees, building height	
Observation		
Journals and Self-Reflection	OTHER EVIDENCE:	
Technology-Based Assessments	Formative assessments, construction labs, quizzes	
Other		
	Learning Plan	
Chapter 8: Sections 8.1 - 8.4 Mathematical practices:		
Section 8.1		
 reason abstractly and quantitatively 	#46, 50	
	ue the reasoning of others #41, 43, 45, 52	
 attend to precision #14, 27, 40, 42, 4 		
 look for and make use of structure # 		
Section 8.2		
 construct viable arguments and critique the reasoning of others #57, 61, 73 		
• attend to precision #21, 43, 48, 52, 55		
• use appropriate tools strategically #56		
 Section 8.3 reason abstractly and quantitatively 	#51 59	
 reason abstractly and quantitatively construct viable arguments and critic 	ue the reasoning of others #45, 62, 63	
 I construct viable arguments and critic I look for and make use of structure #4 		
	2	

UNIT 9 – RIGHT TRIANGLES AND TRIGONOMETRY

- model with mathematics #38, 47
- Use appropriate tools strategically #46

• Section 8.4

- reason abstractly and quantitatively #17-20
- o construct viable arguments and critique the reasoning of others #26
- o model with mathematics #8, 9, 14-16, 23-25, 27-34
- o attend to precision #31-34

Additional resources/worksheets/videos

- Getting Triggy With It Rap video https://youtu.be/t2uPYYLH4Zo
- Solving right triangle worksheet https://drive.google.com/file/d/1vACAwnlqA2u0BXkSsfq_p28sUDnsgxM6/view?usp=sharing
- Multi-step trig problems https://drive.google.com/file/d/1-ktVYjJ5Rc8MdqRRPox2QYGP6S9wiFvD/view?usp=sharing
- EngageNY: <u>https://www.engageny.org/sites/default/files/resource/attachments/geometry-m1-teacher-materials.pdf</u>

	Vocabulary	
Angle of depression	Cosine	Sine
Angle of elevation Trigonometric ratio	Geometric mean	Tangent

KPBSD MATH CURRICULUM GEOMETRY UNIT 10 – PERIMETER, CIRCUMFERENCE, AND AREA

Desired Results

	Desired Results	
Priority Standards	Tra	ansfer
G.MG.3. Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy physical constraints or	Students will be able to independently use their learning to Develop and apply area formulas for circles, polygons, and composite figures. Use area to solve geometric probability problems.	
minimize cost; working with typographic grid system based on ratios).	M	eaning
 G.GPE.7. Use coordinates to compute perimeters of polygons and areas of triangles and rectangles, e.g., using the distance formula. Supporting Standards A.SSE.1. Interpret expressions that represent a quantity in terms of its context. G.GMD.1. Explain how to find the formulas for the circumference of a circle, area of a circle, volume of a cylinder, pyramid, and cone. N.Q.2. Define appropriate quantities for the purpose of descriptive modeling. N.Q.3. Choose a level of accuracy appropriate to limitations on measurement when reporting quantities. 	 ENDURING UNDERSTANDINGS Students will understand that Area and perimeter of polygons and area and circumference of circles can be determined using formulas for the figure and dimensions given. Surface area and volume of three-dimensional solids can be determined using 	 ESSENTIAL QUESTIONS Students will keep considering How are area formulas for plane figures derived? How are area and perimeter used in real-world applications? How are surface area formulas for three-dimensional figures derived? How are surface area and volume formulas used
	formulas for the figure and dimensions given. in real-world applications? Acquisition	
	 Students will know The coordinate plane is used to determine coordinates and the perimeter or area of a figure. The formulas for perimeter, area, volume, and circumference to determine these measurements. 	 Students will be skilled at I can solve the perimeter of a polygon. I can determine the area of a square, a rectangle, a parallelogram, a triangle, and a trapezoid. I can determine the area of an unclassified quadrilateral whose diagonals are perpendicular. I can find the area of a regular polygon. I can find the measures of and the sum of the interior and exterior angles of a polygon. I can solve the area and circumference of a circle. I can find the area of a sector of a circle (regions

	10 TERRITER, CIRCOWITERENCE, AND	
		 of a circle). I can find the surface area of a prism, cylinder, pyramid, cone, and sphere. I can find the volume of a prism, cylinder, pyramid, cone, and sphere. I can use volume and surface areas to solve real-life problems.
	Evidence	
Evaluative Criteria	Assessment Evidence	
Rubrics	PERFORMANCE TASK(S):	
Course Assignments	Unit 10 assessment (to be attached later)	
Performance Tasks	(Find three mathematical practice problems and	have students complete two.)
Teacher made assessments		
Observation	OTHER EVIDENCE:	
Journals and Self-Reflection	Formative assessments, construction labs, quizze	S
Technology-Based Assessments Other	Based Assessments	
Learning Plan		
Chapter 10: Sections 10.1 - 10.6		
Mathematical Practices:		
Section 10.1		
 reason abstractly and quantitatively #52, 53 		
 construct viable arguments and critique the reasoning of others #43-46, 51, 60 		
 look for and make use of structure #61 		
o model with mathematics #29, 48, 49, 54, 56		
• Attend to precision #47, 50, 55		
Section 10.2		
 reason abstractly and quantitatively #42, 45 construct viable arguments and criticus the reasoning of others #22 		
 construct viable arguments and critique the reasoning of others #33 look for and make use of structure #48 		
 o model with mathematics #5, 13, 32, 		
 Section 10.3 		

UNIT 10 - PERIMETER, CIRCUMFERENCE, AND AREA

	UNIT	10 - FERINGETER, CIRCONNERLINCE, AI		
0	reason abstractly and quantitatively	#35, 36		
0	construct viable arguments and critique the reasoning of others #22			
0	model with mathematics #6, 13, 21,	23		
0	Use appropriate tools strategically #	24-26		
0	Attend to precision #32			
Section	10.4			
0	reason abstractly and quantitatively	#18		
0	construct viable arguments and criti	que the reasoning of others #21		
Section	Section 10.5			
0	reason abstractly and quantitatively #1-6, 8-13, 15-22, 24-31			
0	model with mathematics #7, 14, 23, 32			
Section	Section 10.6			
0	 reason abstractly and quantitatively #39-44, 48, 50, 51 			
0	 construct viable arguments and critique the reasoning of others #31 			
0	 model with mathematics #6, 7, 20-22, 38 			
Vocabulary				
Apothem		Central angle of a regular polygon	Composite figure	
Center of circle	Circle Circle Geometric probability			
Center of a reg	ular polygon			

UNIT 11 – THREE-DIMENSIONAL FIGURES: VOLUME AND SURFACE AREA

	Desired Results	
Priority Standards G.GMD.3. Use volume formulas for cylinders,	TransferStudents will be able to independently use their learning toGeometric figures are ruled by known relationships of measures, often expressed as theorems and/oralgebraic formulas.	
pyramids, cones, and spheres to solve problems. For example, Solve problems requiring determination of a dimension not given.		
Supporting Standards	Me	eaning
 G.GMD.4. Identify the shapes of two- dimensional cross-sections of three-dimensional N.Q.2. Define appropriate quantities for the purpose of descriptive modeling. objects, and identify three-dimensional objects generated by rotations of two-dimensional objects. N.Q.3. Choose a level of accuracy appropriate to limitations on measurement when reporting 	 ENDURING UNDERSTANDINGS Students will understand that Formulas help us solve problems. Geometric shapes, their measures, and their properties help us describe objects. 	 ESSENTIAL QUESTIONS Students will keep considering How are surface area formulas for three- dimensional figures derived? How are volume formulas for three-dimensional figures derived? How are surface area and volume formulas used in real-world applications?
quantities.	Acquisition	
 G.MG.1. Use geometric shapes, their measures, and their properties to describe objects (e.g., modeling a tree trunk or a human torso as a cylinder). G.MG.2. Apply concepts of density based on area and volume in modeling situations (e.g., persons per square mile, BTUs per cubic foot). 	 Students will know Three-dimensional figures are classified based on their properties. Volume formulas. Surface areas formulas. 	 Students will be skilled at I can use nets and cross sections to analyze three dimensional figures. I can apply volume/surface area formulas.

UNIT 11 – THREE-DIMENSIONAL FIGURES: VOLUME AND SURFACE AREA

Evidence		
Evaluative Crite	eria	Assessment Evidence
Rubrics		PERFORMANCE TASK(S):
Course Assignm	nents	Unit 11 assessment (to be attached later)
Performance Ta	asks	(Find three mathematical practice problems and have students complete two.)
Teacher made a	assessments	drawing 3D figure lab - spheres, prisms, pyramids, cones and cylinders
Observation		
Journals and Se	If-Reflection	OTHER EVIDENCE:
Technology-Bas	sed Assessments	Formative assessments, construction labs, quizzes
Other		
		Learning Plan
Chapter 11: Sec	ctions 11.1 - 11.4	
Mathematical		
 Section 	•	
0	 construct viable arguments and critique the reasoning of others #38 	
 Section 	Section 11.2	
0		
0		
0		
• Section 11.3		
• reason abstractly and quantitatively #9, 10, 29, 21, 39, 50		
0		
0		
 Section 	11.4	
0	• reason abstractly and quantitatively #5, 9, 10, 16, 20, 21, 28, 35-38, 40, 42, 45, 47, 48	
	 look for and make use of structure #46 	
0	 model with mathematics #33, 41, 45 	

Additional resources/worksheets/projects:

UNIT 11 – THREE-DIMENSIONAL FIGURES: VOLUME AND SURFACE AREA

• polyhedron project

o list of polyhedron https://drive.google.com/file/d/1Fxv JEnbQ6LiLNY4bjD-VJVaSkPqjvTe/view?usp=sharing

o project explanation https://drive.google.com/file/d/1_a2OUm_3_7i6CKIGMpFwxzNrTKEsK6zG/view?usp=sharing

rubric https://drive.google.com/file/d/1VMfX95SlinU45cUwK3jlwzhHsvMXX6NI/view?usp=sharing

Vocabulary		
Center of a sphere	Face	Radius of a sphere
Cone	Great circle	Sphere
Cross section	Hemisphere	Vertex
Cube	Net	Volume
Cylinder	Prism	
Edge	Pyramid	

KPBSD MATH CURRICULUM GEOMETRY UNIT 12 – CIRCLE

Desired Results

	Desired Results	
Priority Standards	Tra	ansfer
G.C.2. Identify and describe relationships among inscribed angles, radii, and chords. Include the relationship between central, inscribed, and	 Students will be able to independently use their learning to Develop and apply the properties of lines and angles that intersect circles. Analyze the properties of circles in the coordinate plane and use them to solve real-world problems. 	
circumscribed angles; inscribed angles on a diameter are right angles; the radius of a circle is	Me	eaning
perpendicular to the tangent where the radius intersects the circle. G.C.5. Use and apply the concepts of arc length and areas of sectors of circles. Determine or derive using similarity the fact that the length of the arc intercepted by an angle is proportional to the radius, and define the radian measure of the angle as the constant of proportionality; derive the formula for the area of a sector.	 ENDURING UNDERSTANDINGS Students will understand that All circles are similar. There are relationships among inscribed angles, radii, and chords. The radius of a circle is perpendicular to the tangent where the radius intersects the circle. 	 ESSENTIAL QUESTIONS Students will keep considering What vocabulary is used to describe circles as they relate to lines and angles? How can circles give me information about angle measures and segment lengths? How are the equation of a circle and its graph on the Cartesian Plane related?
G.GPE.1. Determine or derive the equation of a	Acquisition	
circle of given center and radius using the Pythagorean Theorem; complete the square to find the center and radius of a circle given by an equation.	 Students will know Properties of circles in problems. Properties of tangents to solve problems in geometry. Properties of chords and arcs to solve problems. Properties of the inscribed angles of a quadrilateral to solve problems. 	 Students will be skilled at I can use all vocabulary associated with circles. I can name minor and major arcs of a circle. I can determine measures of central angles and arcs of circles. I can use the measures of central angles and their arcs to solve problems. I can use properties of chords and arcs to solve problems. I can identify the lengths of segments and chords in a circle. I can use the properties of inscribed angles to solve problems. I can use properties of the inscribed angles of a quadrilateral to solve problems. I can calculate angles formed by tangents,

KPBSD MATH CURRICULUM GEOMETRY UNIT 12 – CIRCLE

	 chords, and secants. I can use angle measures to solve real-life problems. I can write the equation of a circle and use it to solve the equation of a circle and use the equation)	
	solve real-life problems.		
	Evidence		
Evaluative Criteria	Assessment Evidence		
Rubrics	PERFORMANCE TASK(S):		
Course Assignments	Unit 12 assessment (to be attached later)		
Performance Tasks	(Find three mathematical practice problems and have students complete two.)		
Teacher made assessments			
Observation			
Journals and Self-Reflection	OTHER EVIDENCE:		
Technology-Based Assessments Formative assessments, construction labs, quizzes			
Other	·		
Learning Plan			
Chapter 12: Sections 12.1 - 12.7			
Mathematical practices:			
Section 12.1			
 reason abstractly and quantitatively #18-22, 40 			
 construct viable arguments and critic 	que the reasoning of others #28-30, 36, 37, 41		
 model with mathematics #8, 15, 43 			
• Section 12.2			
 reason abstractly and quantitatively #33-35, 37 			
 construct viable arguments and critique the reasoning of others #40-43, 45 			
 look for and make use of structure #52 			
	Section 12.3		
 reason abstractly and quantitatively #23-25, 28 			
	o model with mathematics #5-29		
• Section 12.4			

UNIT 12 – CIRCLE

- o reason abstractly and quantitatively #23-25, 41
- o construct viable arguments and critique the reasoning of others #28, 30-32, 34, 35, 37, 43, 44
- Use appropriate tools strategically #36, 38, 47

• Section 12.5

- o construct viable arguments and critique the reasoning of others #34-37, 45, 46
- o model with mathematics #11
- Section 12.6
 - reason abstractly and quantitatively #31
 - o construct viable arguments and critique the reasoning of others #27-30, 38
 - o model with mathematics #15, 26
- Section 12.7
 - o reason abstractly and quantitatively #22-27
 - o look for and make use of structure #9, 18, 21, 30-32
 - model with mathematics #37

	Vocabulary	
Adjacent arcs	Exterior of a circle	Secant segment
Arc	External secant segment	Sector of a circle
Arc length	Inscribed angle	Segment of a circle
Central angle	Intercepted arc	Semicircle
Chord	Interior of a circle	Subtend
Common tangent	Major arc	Tangent of a circle
Concentric circles	Minor arc	Tangent circles
Congruent arcs	Point of tangency	Tangent segment
Congruent circles	Secant	